

# **Optical nonlinearities as a tool for nondestructive diagnostics of advanced semiconductor materials**

**K. Jarašiunas, A. Kadys, S. Nargelas, T. Malinauskas,  
R. Aleksiejunas, P. Ščajev, V. Gudelis, and E. Ivakin**

Institute of Applied Research,  
Vilnius University, Lithuania  
and Institute of Physics, Minsk, Belarus

**Int. Seminar on LASERS and OPTICAL NONLINEARITIES, Vilnius 2009**

# Outline

## **1. Modulation of optical and electrical properties by light interference pattern:**

- **refractive index modulation by FC density and SC field**
- **absorption index modulation by recharged deep traps**

## **2. Experimental configurations and study:**

- **SC field impact on carrier dynamics**
- **Determination of photogenerated carrier sign**
- **Deep trap recovery rate: transient reflection grating**

## **3. Implementation of TG techniques into devices**

Laser-assisted nonlinear optical techniques can serve as a tool for **investigation of fast electronic properties of semiconductor materials by optical means.**

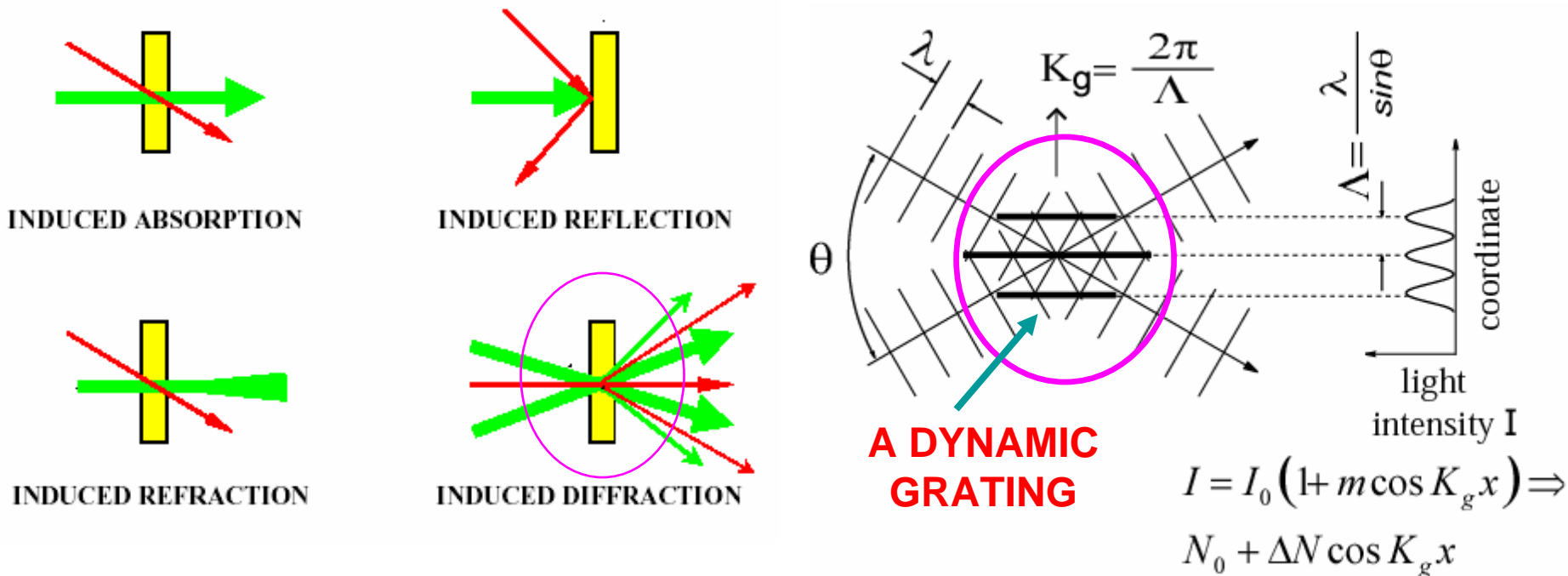
**Do we need new optical diagnostics techniques?**

**YES, because ---**

the standard techniques, as *electrical, linear optical spectroscopy and photoluminescence* are not always applicable for materials characterization: they need contacts, reveal equilibrium properties *and* cannot be applied if radiative PL signal is very low (*e.g. SiC*) !

In most technologically important materials, **knowledge of carrier dynamics is the key issue.**

# “Pump-probe” configurations for time-resolved nonlinear optical experiments



Information about refractive index spatial and temporal modulation  $\Delta n(x,t)$  is read by a probe beam diffraction and will provide electronic parameters, as  $\tau_R$ ,  $D$ ,  $L_D$ ,  $s$ ,  $\tau_R$  ( $N_{FC}=B$ ,  $C$ ;  $N_{TD}=A$ ),  $D(N)$ ,  $Esc$ , its origin ...

# Merging the optical nonlinearities and photoelectric properties

Field

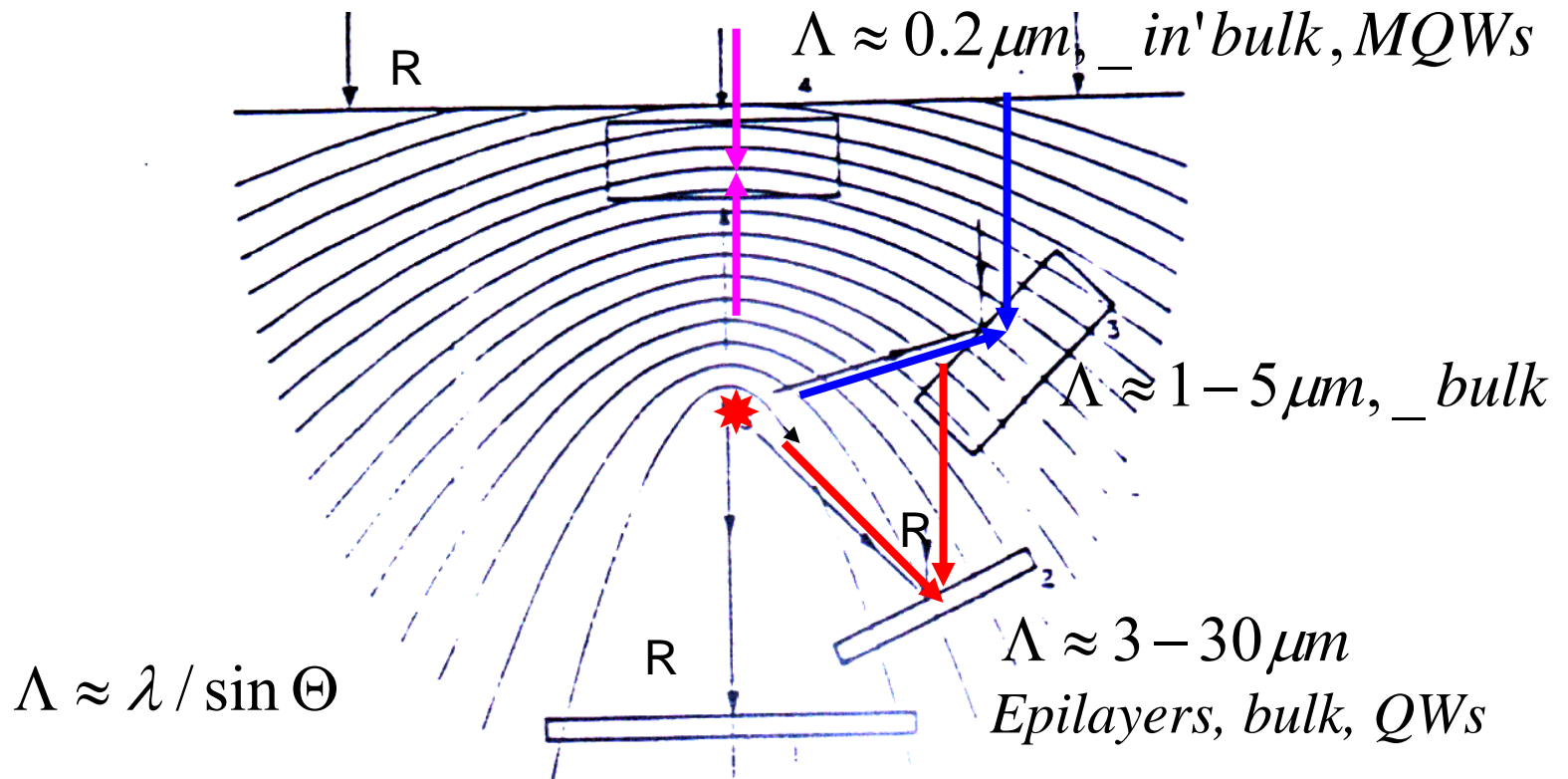
What knowledge it provides

Step 1.	<ul style="list-style-type: none"> <li>• <b>Optical configurations</b> to create and monitor the spatial modulation of real and/or imaginary part of the refractive index:               <math display="block">n(x, t) = n_0 + \Delta n(t) \cos(Kx)</math> <math display="block">k(x, t) = k_0 + \Delta k(t) \cos(Kx)</math> </li> <li>• Type of light-induced diffraction grating: a phase, an amplitude, or mixed one</li> <li>• Relationships between <b>the diffraction efficiency</b> <math>\eta = I_1/I_T</math> and modulation amplitude of <math>\Delta n</math> or <math>\Delta k</math>, e.g.               <math display="block">\eta \sim (\pi \Delta n d / \lambda)^2 + (\pi \Delta k d / \lambda)^2</math> </li> </ul>
Dynamic holography	
Step 2.	<ul style="list-style-type: none"> <li>• <b>Modulation mechanisms</b> and their coefficients:</li> </ul>
Nonlinear optics	$\Delta n_{FC} = n_{eh} \Delta N_{e,h} \quad \Delta n_{EO} = n_{eo} E_{SC} \quad \Delta k = \Delta a \lambda / 4\pi$

# Merging the optical nonlinearities and photoelectric properties

Step 3.	<ul style="list-style-type: none"> <li>• Solution of a continuity equation provides the <b>spatio-temporal evolution of modulated carrier density (<math>\Delta N(x, z, t)</math>)</b>, which is governed by carrier generation, transport, and recombination processes:</li> </ul>
Semiconductor physics	
$\frac{\partial N(x, z, t)}{\partial t} = \nabla[D(N)\nabla N(x, z, t)] - AN(x, z, t) - BN^2(x, z, t) - CN^3(x, z, t) + G(x, z, t)$	
Step 4.	<ul style="list-style-type: none"> <li>• Provides variety of modern materials – epilayers, heterostructures, bulk crystals - differently grown, doped, and processed (annealed, irradiated, etc.) for <b>evaluation of metrological capability of nonlinear optical techniques</b></li> </ul>
Semiconductor technology	<ul style="list-style-type: none"> <li>• As a feedback, the transient grating technique can be exploited for <b>ex-situ nondestructive testing</b></li> </ul>

# Optical geometries for a hologram recording



**Plane reference wave R interacts with the scattered one by an object S:**

**1 – axial geometry (D. Gabor, 1951); 2 - Leith - Upatnieks (1962),  $d < \Lambda$ , thin grating ; 3 – thick grating,  $d > \Lambda$ , Bragg diffraction; 4 – reflection Bragg-grating ( $d \gg \Lambda = \lambda / 2n$ ); here  $d$  is the thickness of a recording material**

# Thin grating at surface: recording and probing

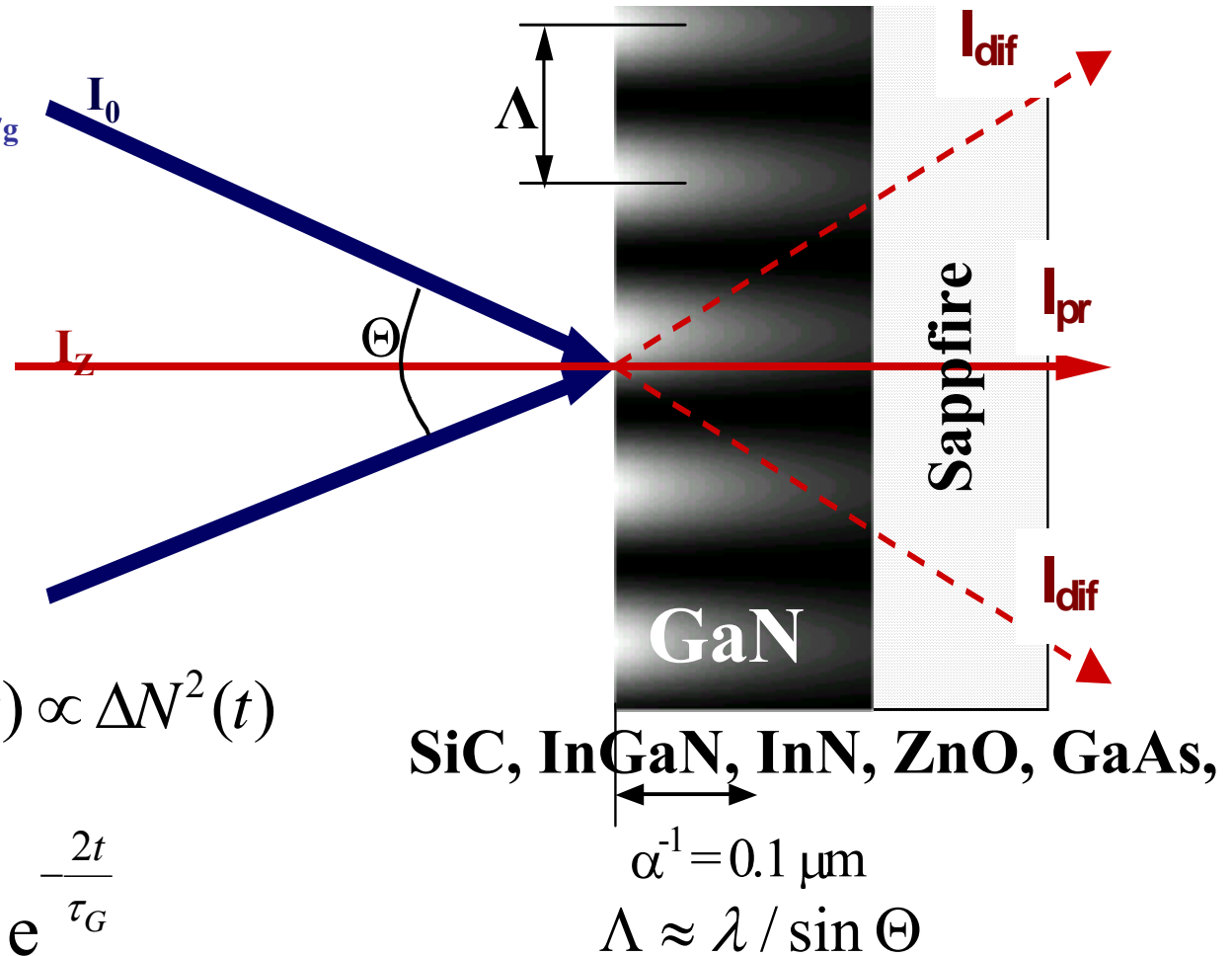
Coherent ps light pulses  
from a YAG:Nd laser

Pump at  $h\nu > E_g$   
 $\lambda = 353 \text{ nm}$

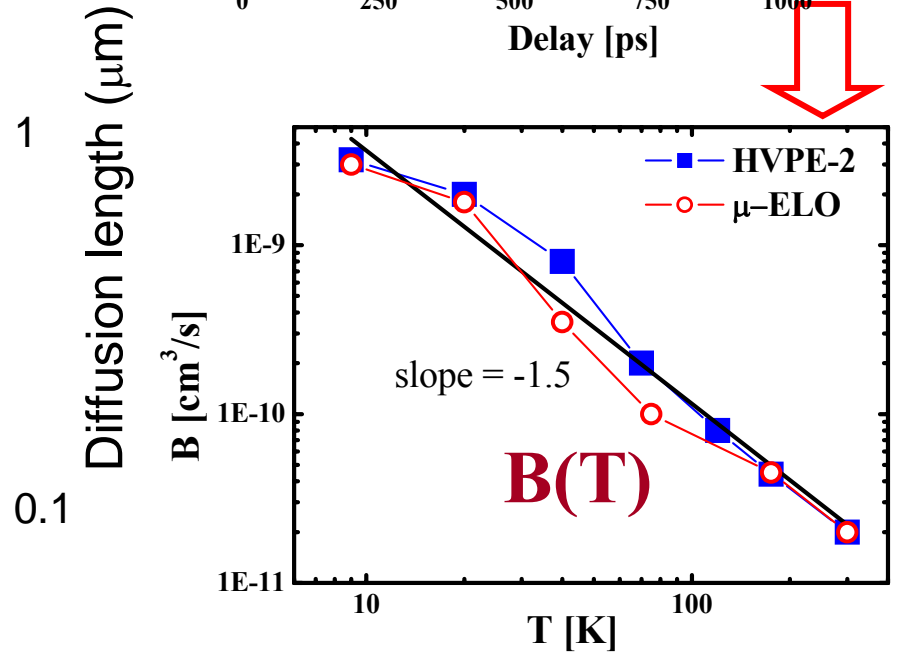
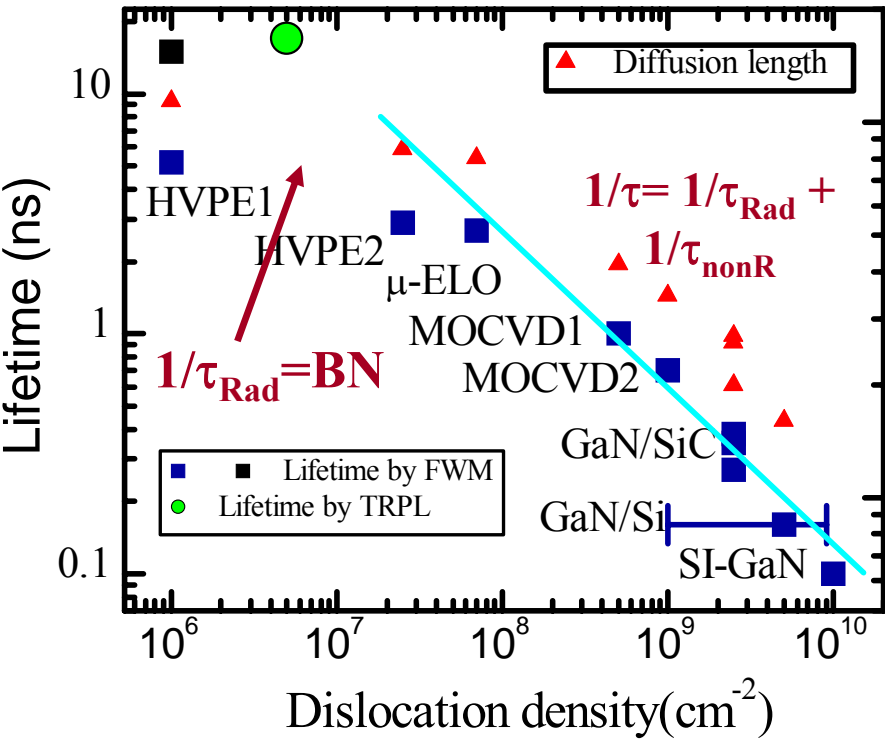
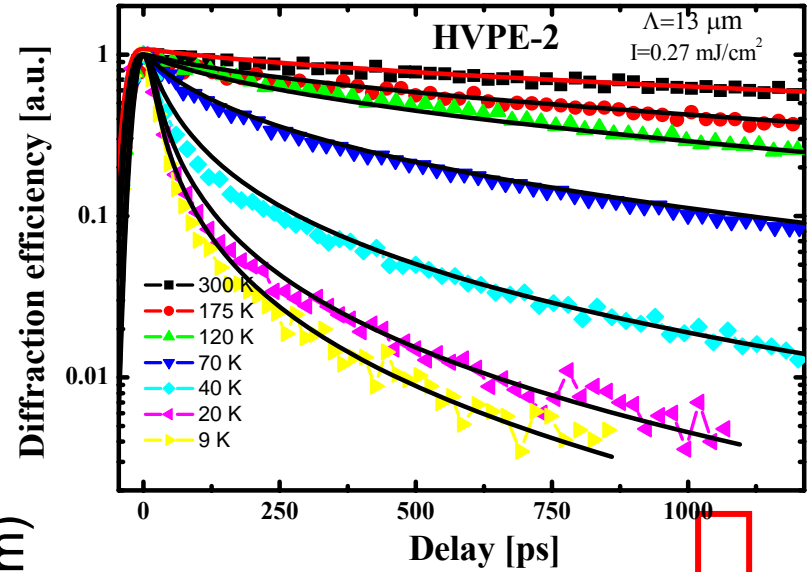
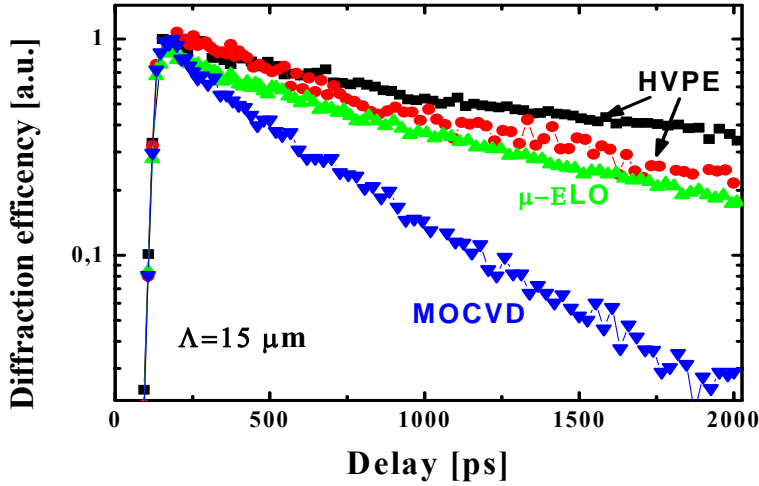
Probe at  
 $\lambda = 1064 \text{ nm}$

$$\eta(t) = \frac{I_{dif}(t)}{I_{pr}(t)} \propto \Delta n^2(t) \propto \Delta N^2(t)$$

$$\eta(t) = f(s, D, \tau_R) \propto e^{-\frac{2t}{\tau_G}}$$

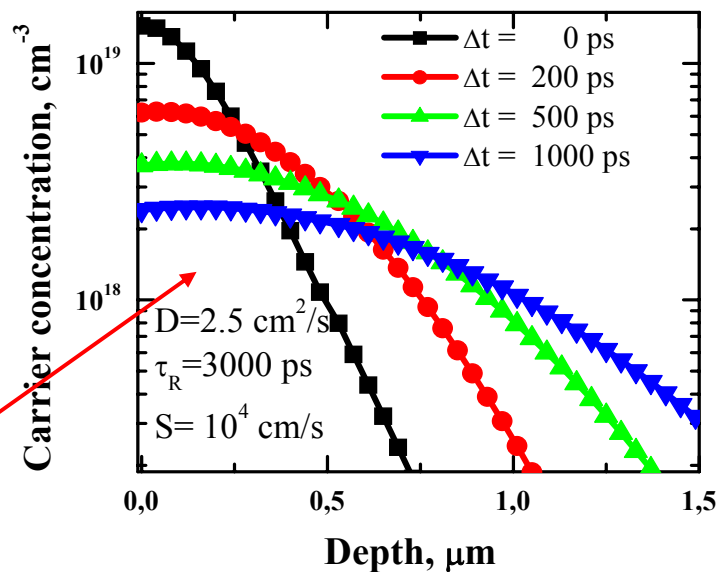
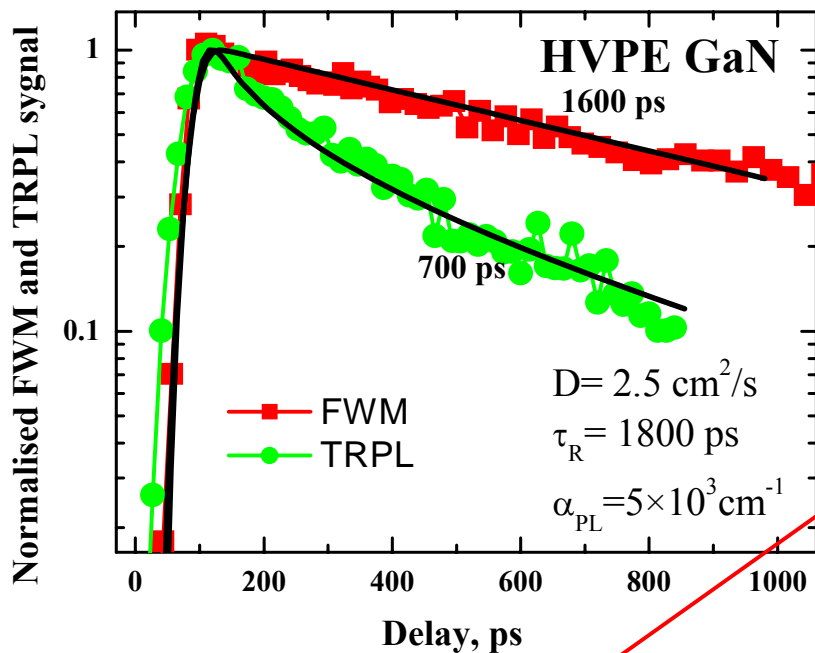


# Carrier lifetime vs TD density and vs T in GaN



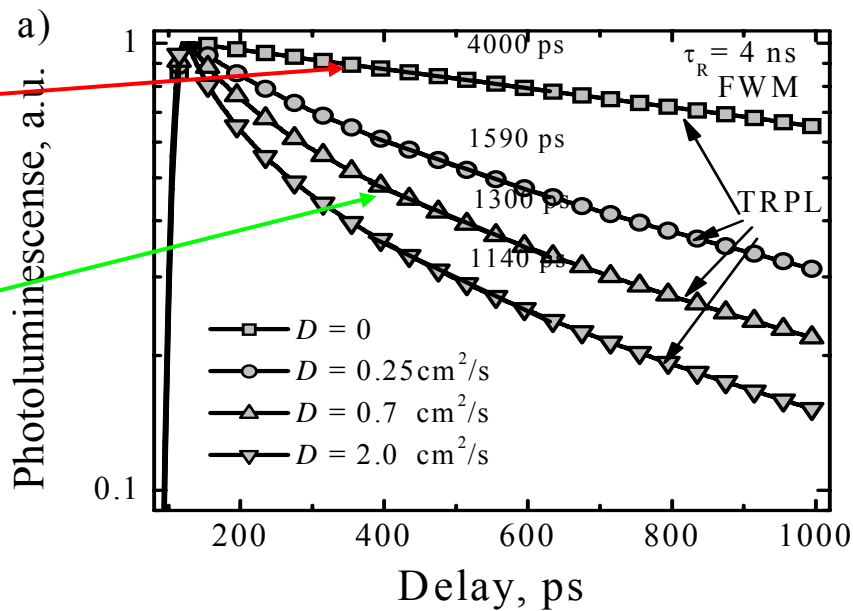
T. Malinauskas et al, phys. stat. sol. (b) 243, 1426-1430 (2006);  
J. Cryst. Growth 300 (2007) 223.

# Carrier dynamics seen by TG and PL techniques in GaN

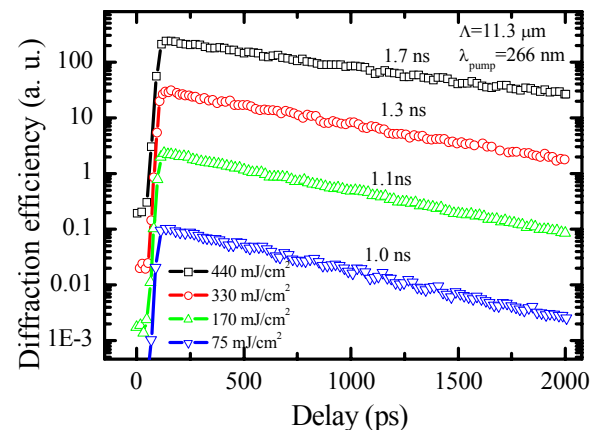
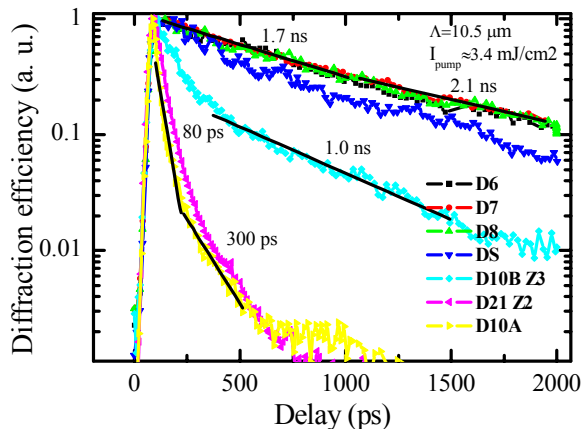
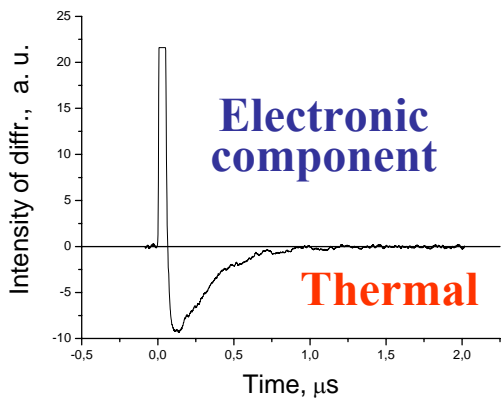


$$\eta_{FWM}(t) \propto \left[ \int_0^d (\Delta N(z, t) dz) \right]^2$$

$$\eta_{PL}(t) \propto \int_0^d (\Delta N^2(z, t) \exp(-\alpha_{PL} z) dz)$$



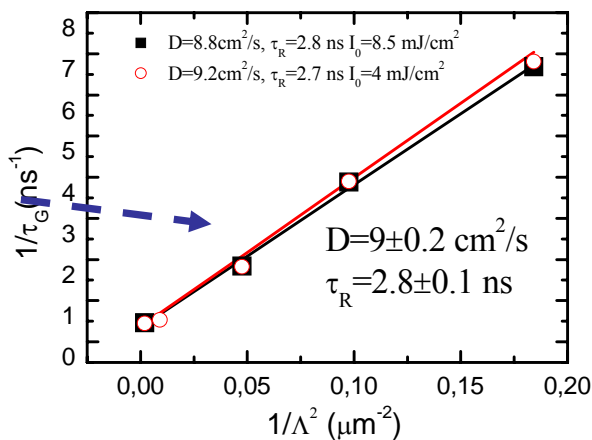
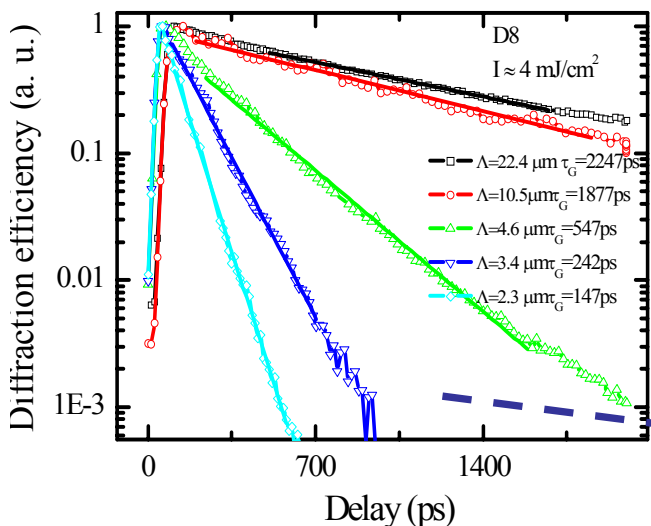
# Synthetic diamonds: HPHT and CVD



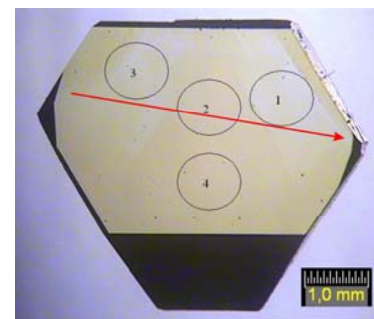
**Ps-pump at 213 nm:  
grating in 10  $\mu\text{m}$  thick layer**

**Pump at 266 nm:  
grating in the bulk**

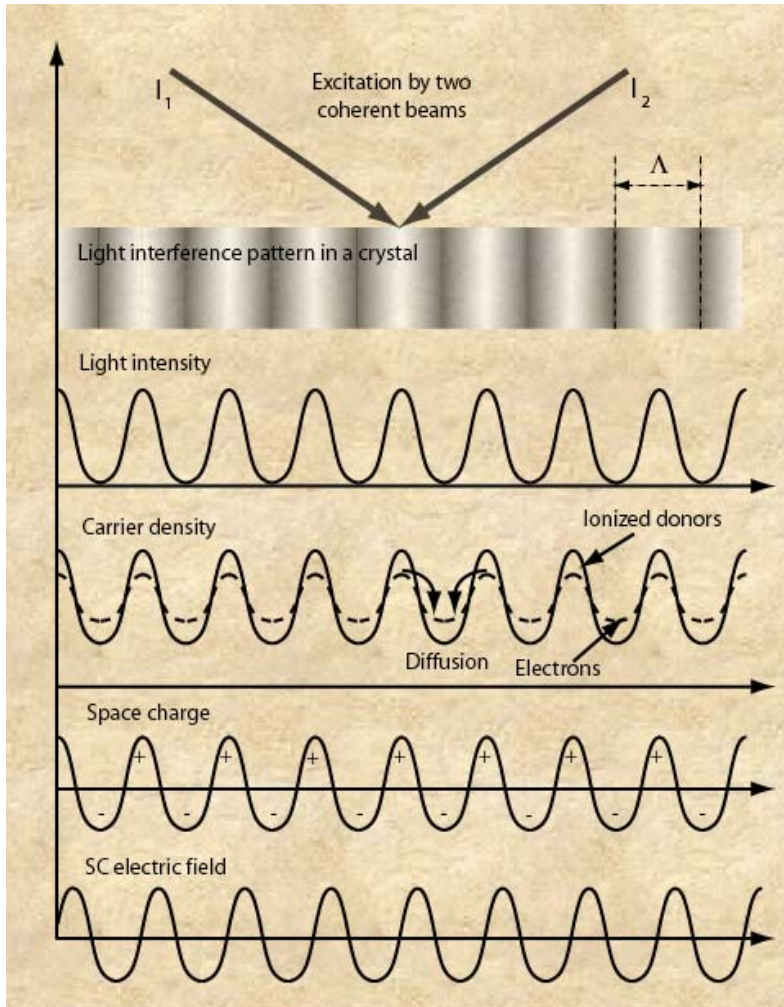
Decay time of electronic grating correlates well with the nitrogen concentration in range  $10^{17} - 10^{19}$



**Parameters for the best  
IIa type HPHT  
diamond**

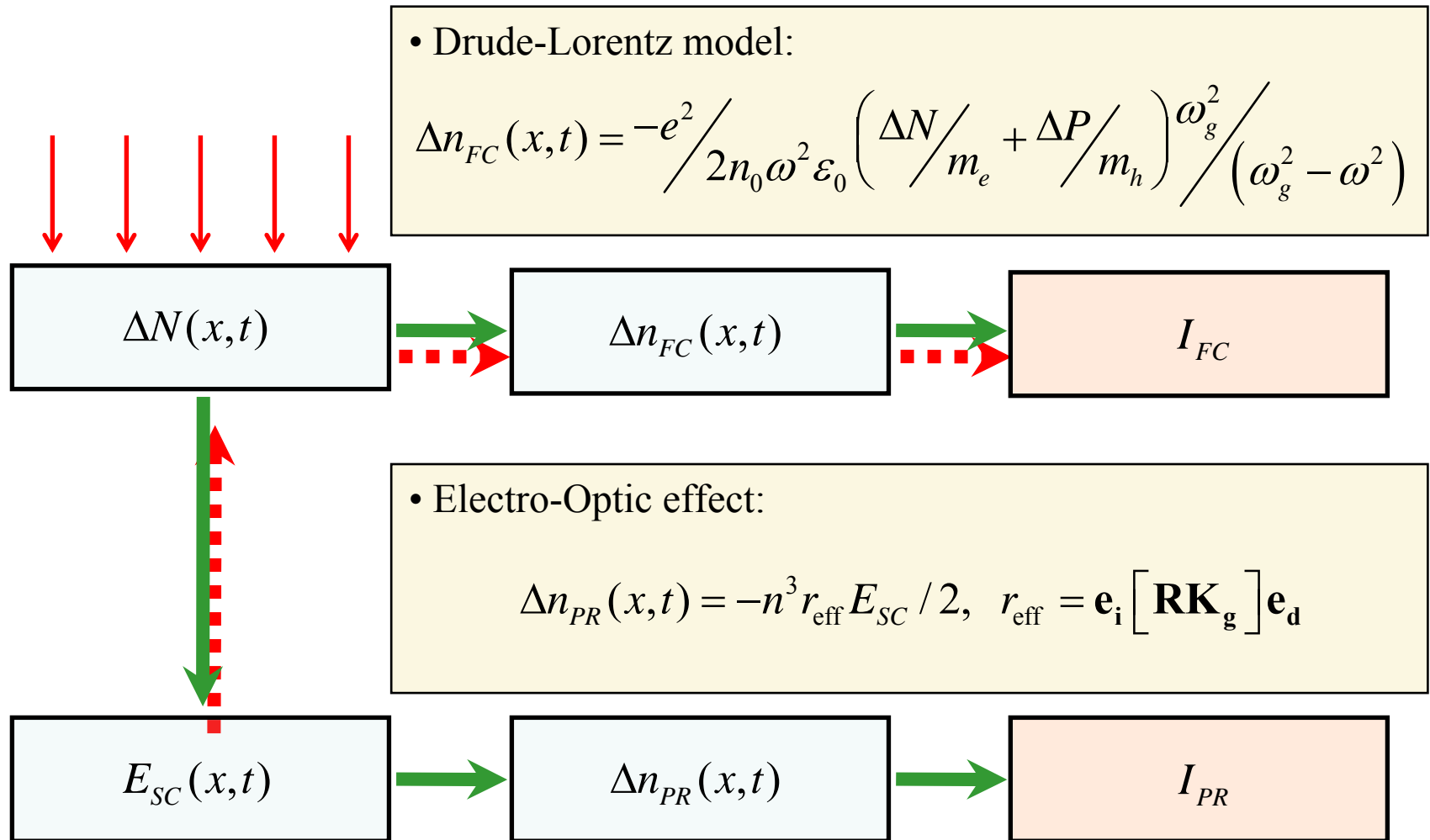


# Gratings in the BULK crystals: deep trap photoexcitation

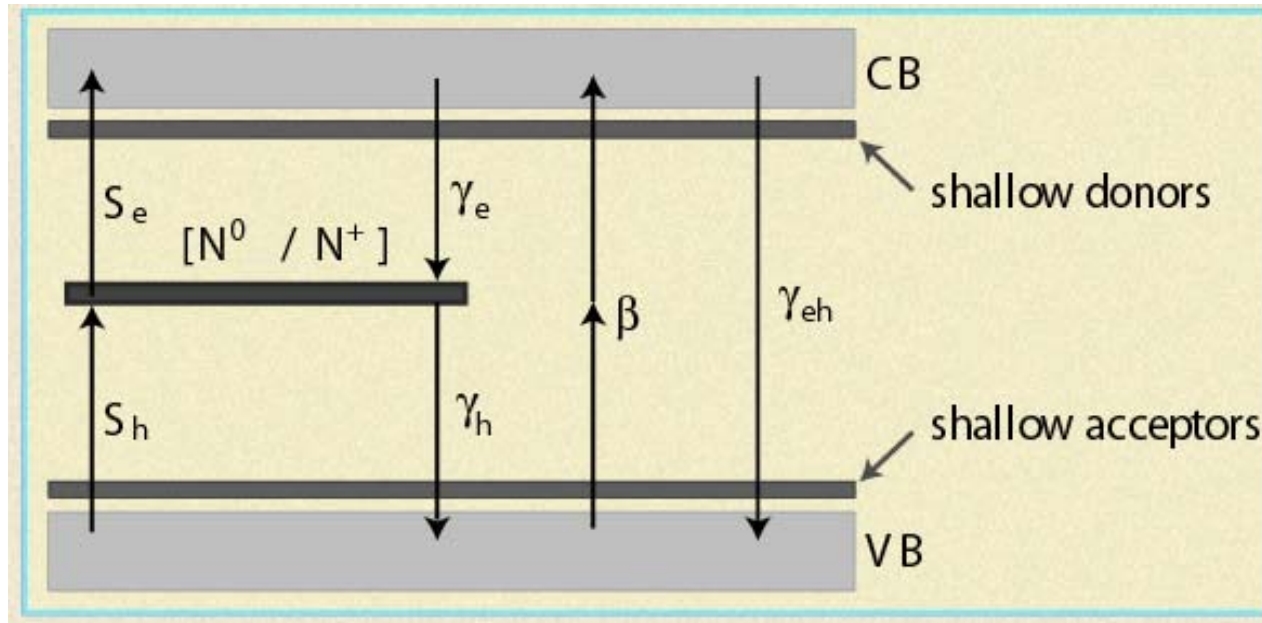


- Crystal excitation by a short pulse of light interference pattern for modulation of electrical and optical properties
- Carrier generation from deep impurity levels
- Charge separation by diffusion of carriers toward the grating minima
- Build-up of the space-charge electric field and its impact to carrier transport
- Modulation of refractive index by FC, internal electric field
- Modulation of absorption index due to changes in deep levels occupation

# Refractive index modulation mechanisms



# Deep mid-gap donor recharge: absorption index modulation



Spatial photoexcitation of deep donor leads to **changes in the charge state of a deep trap**:  $N_0 \rightleftharpoons N^+$  and  $N^+ \rightleftharpoons N_0$ .

This leads to the spatial modulation of recharged deep traps density:

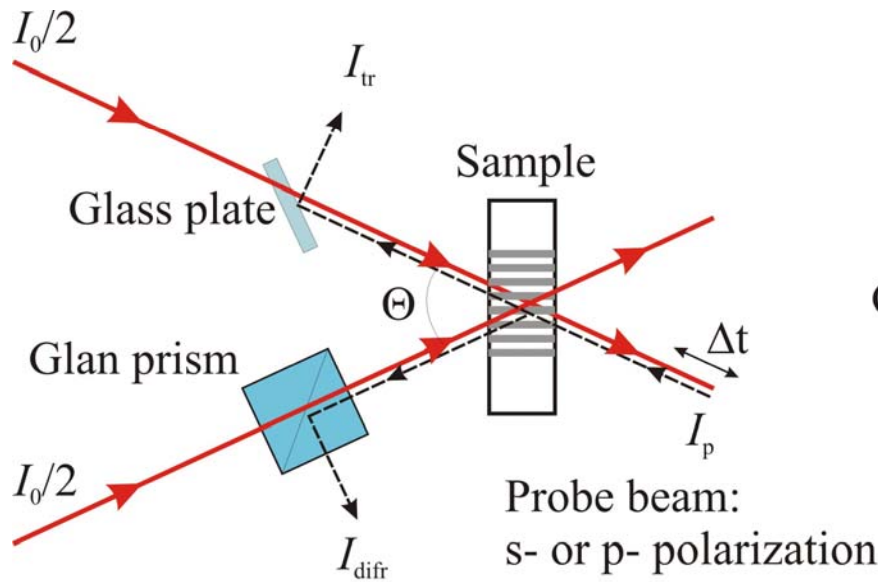
$N_1(x) = \Delta N_0(x) - \Delta N^+(x)$  and to an **amplitude grating formation**:

$$\Delta \alpha(\mathbf{x}) = S_e \Delta N_0(x) - S_h \Delta N^+(x) = 4\pi \Delta k(x) / \lambda$$

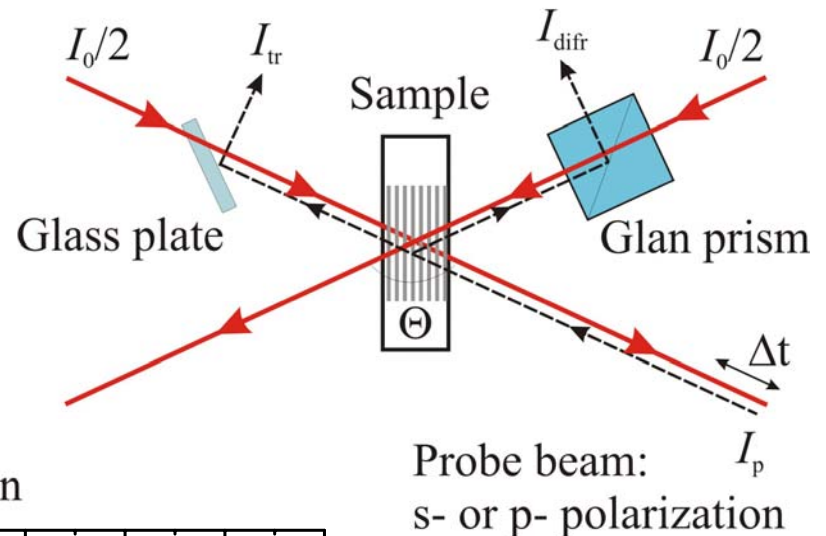
Usually  $\Delta \mathbf{k} < \Delta \mathbf{n}$ , thus the phase grating dominates- but not always!

# Experimental configurations: transient Bragg-gratings

Diffraction in transmission:  $\Delta n(t)$



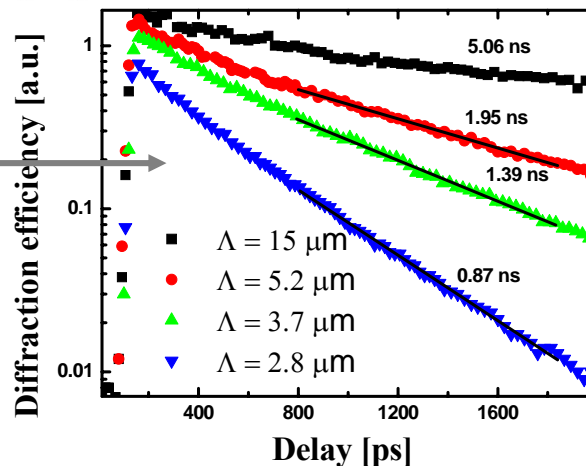
Diffraction in reflection:  $\Delta \alpha(t)$   
grating period is  $\lambda/2n = 0.16 \mu\text{m}$



$$\eta(t) \propto [\Delta n_{FC}(t)]^2$$

$$\eta(t) \propto [\Delta n_{EO}(t)]^2$$

$$\eta(t) \propto \exp(-2t/\tau_e)$$



$$\eta(t) \propto \Delta a(t)^2$$

$$\frac{1}{\tau_e} = \frac{1}{\tau_R} + \frac{1}{\tau_D} \Rightarrow \tau_R, D;$$

## **Samples (*for defect engineering*)**

- **Bulk semi-insulating II-VI: CdTe, CdZnTe, doped by V, Ge, Sn, Si, Bi, or ZnTe:V, codoped by Al, Sc**
- **Bulk semi-insulating III-V: InP (undoped and Fe doped), GaAs (EL2)**
- **Goal – selection of a dopant able to create only one dominant deep trap level for compensation of free carriers. Then a proper density and charge state of deep impurity level will lead to efficient monopolar carrier generation and strong SC field formation**

# Carrier and SC field dynamics in CdTe:V

$\Lambda = 2 \mu\text{m}$

$E_c = 0.75 \text{ eV}$

**FC grating**

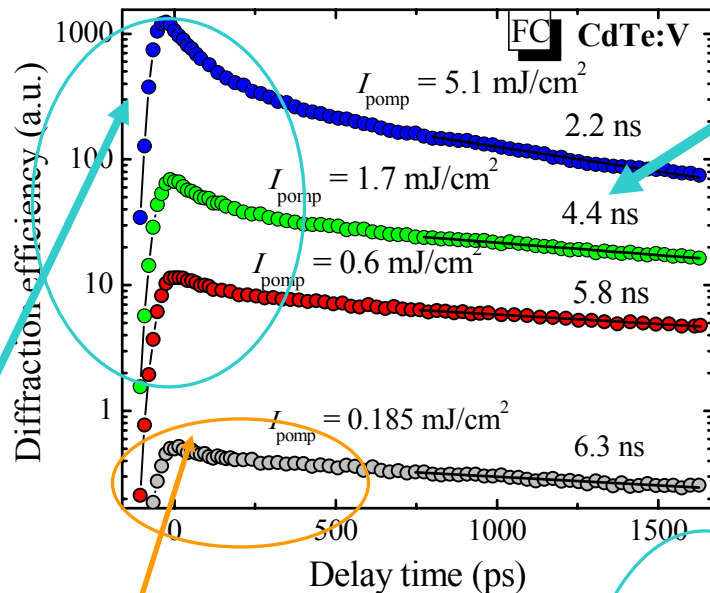
**Diffusion-governed decay:**

$$\tau_D = \Lambda^2 / 4\pi^2 D = K^2 D$$

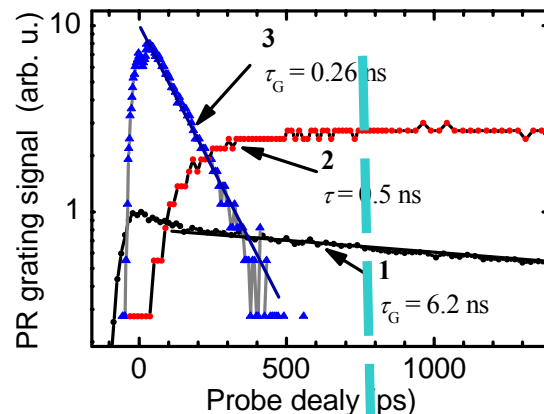
$$\tau_{Dr} = K / (\mu E_{sc})$$

$$E_{sc} = 2\pi kT / e\Lambda$$

Electron diffusion compensated by drift in SC field

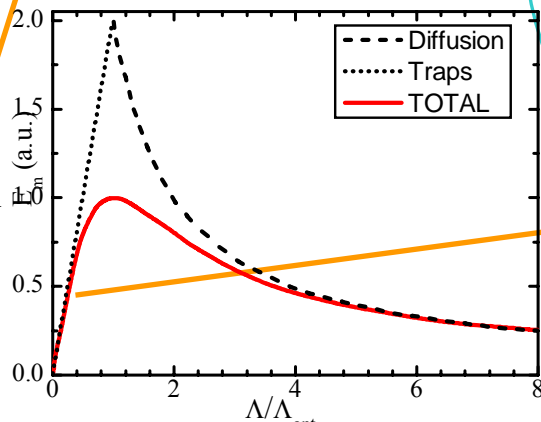
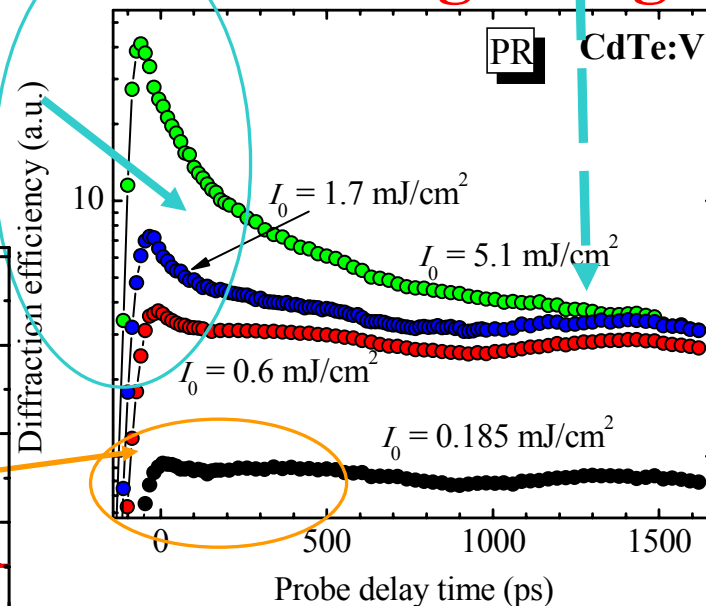


Recombination-governed decay

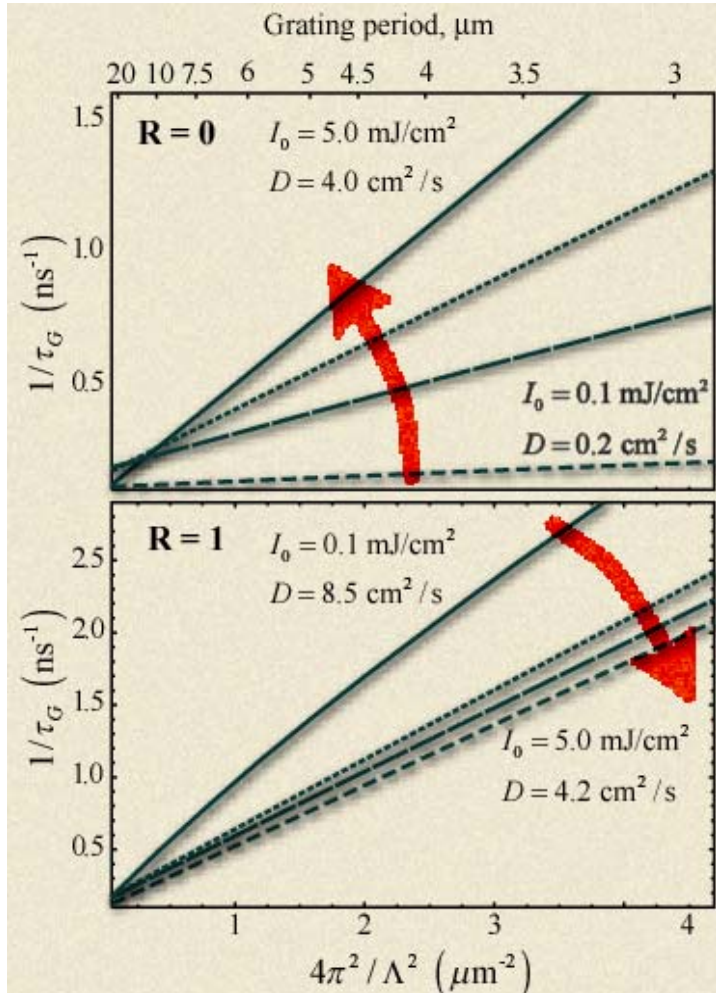


**PR grating**

**Diffusion-governed decay:**

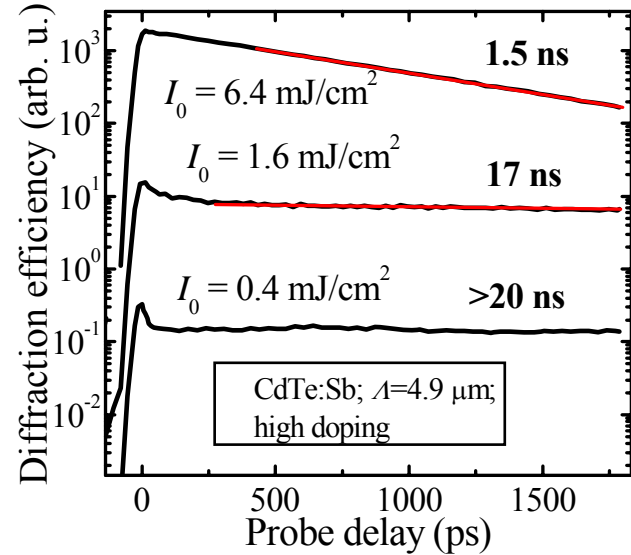


# Determination of the photogenerated carrier sign in differently doped CdTe (1)



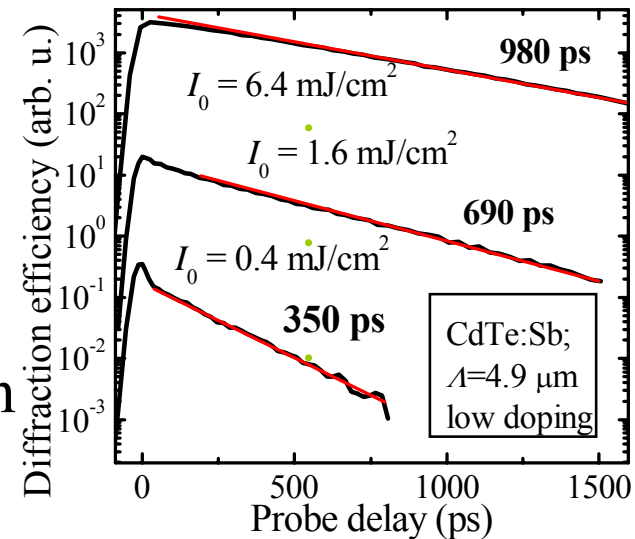
$n \gg p$

$D_{\text{eff}} \rightarrow 0$

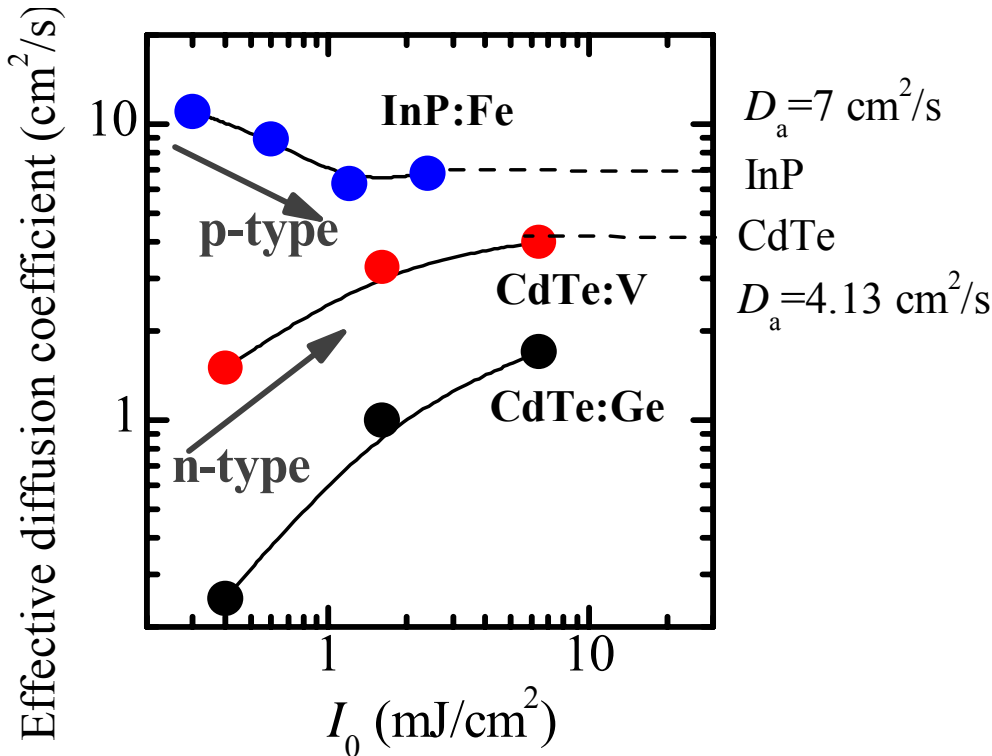


$p > n$ , but never  $p \gg n$

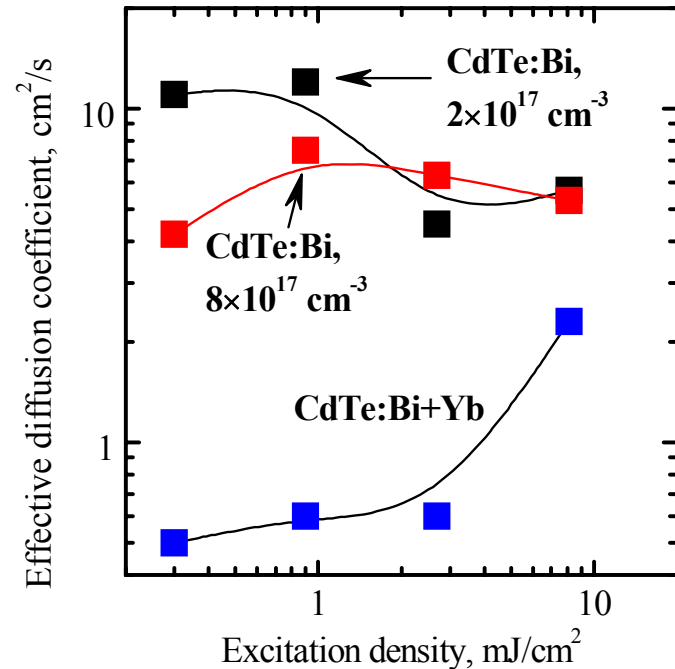
$D_{\text{eff}} > D_a$



# Determination of the photogenerated carrier sign in differently doped CdTe (2)

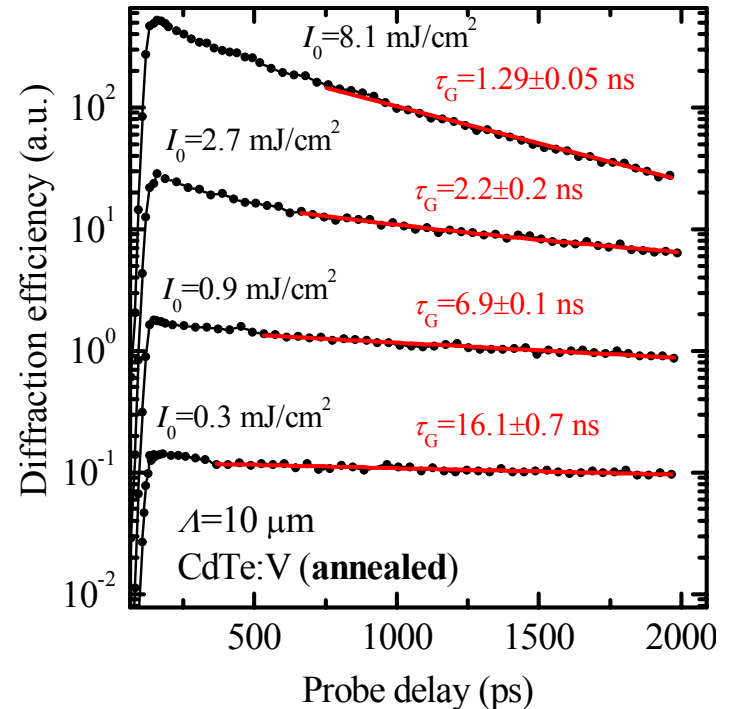
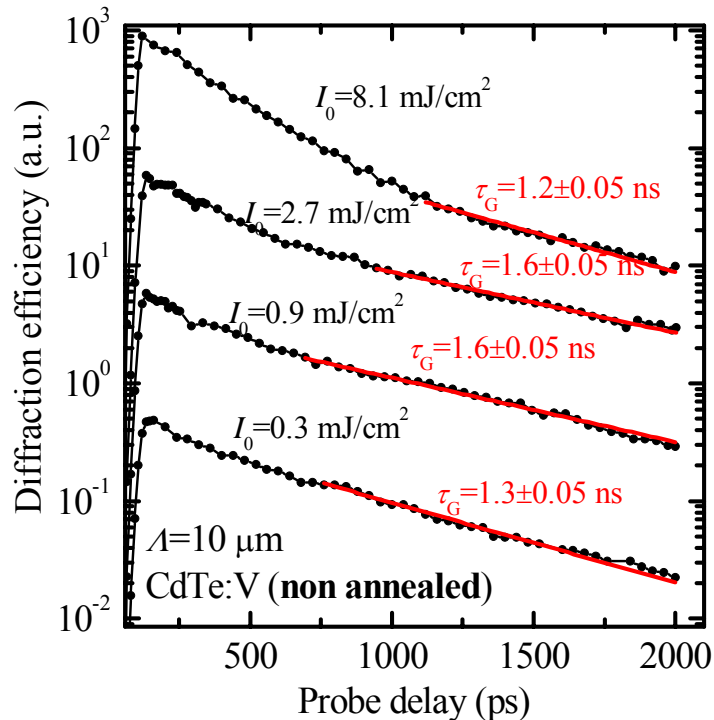


**CdTe:Ge** = at 0.94 eV ( $\text{Ge}^+$ , deep acceptor) at 1.1 eV (deep donor complex  $X_0$ ), at 1.22 eV (deep acceptor  $X^-$ ), and at 1.35 eV (deep donor  $\text{Ge}_0$ ). At 1064 nm (1.17 eV) generation both of holes via  $\text{Ge}^+$  and electrons from  $X_0$  is possible.



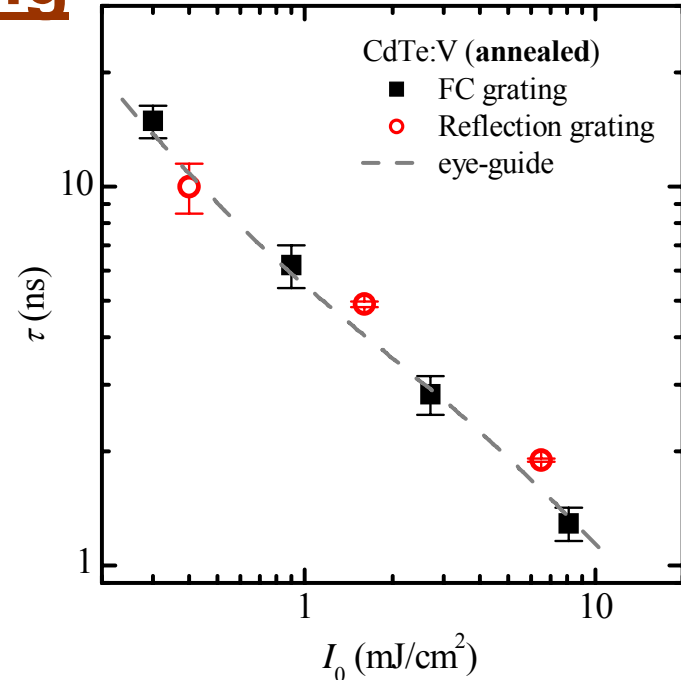
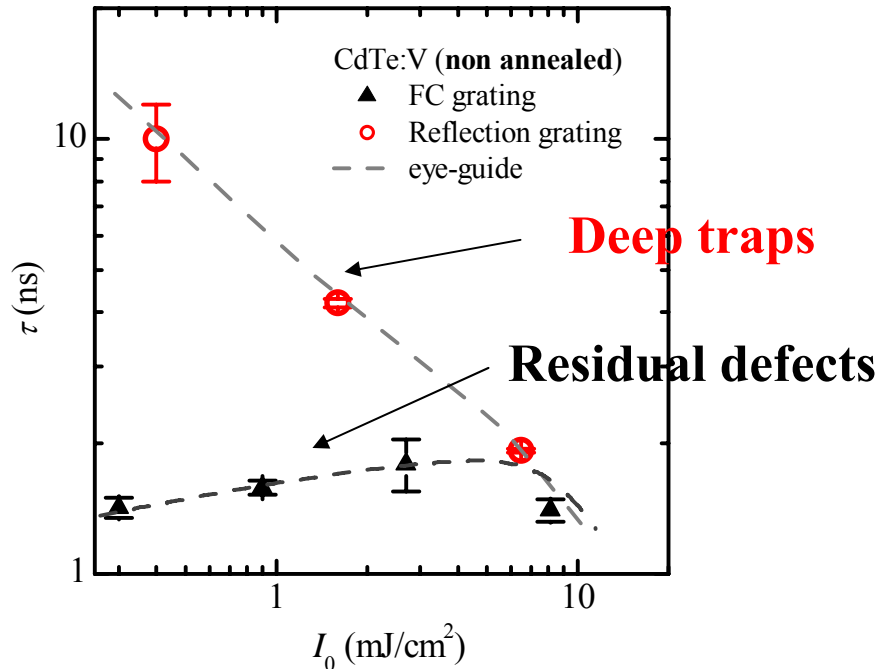
**Bi(Cd)  $\Rightarrow$  deep donor**  
**at  $E_v + 0.71 \text{ eV}$ ;  $N = 2 \times 10^{17}$**   
 Becoming p-type with increase of Bi: **Bi(Te)  $\Rightarrow E_v + 0.3 \text{ eV}$**

# CdTe:V – as grown and annealed: diffraction on FC grating



- Note different grating erasure times at low excitations: they indicate different carrier lifetimes due to higher recombination center density in as-grown crystal.
- After annealing, the crystalline quality increases due to healing the Te precipitates, filling Cd vacancies, reducing internal stress, thus carrier lifetime increases.

# Optical discrimination of the deep impurity contribution to carrier trapping by reflection grating



By using the transient reflection grating technique, it becomes possible to reveal the role of deep traps in presence of various, even faster recombination channels

The similar lifetimes of grating in recharged deep traps in non-annealed and annealed samples show that after annealing the deep vanadium trap occupation remained nearly the same

**Implementation  
of transient grating techniques  
into devices**

**A HOLO-module**

# A set-up of picosecond FWM

ps laser PL2143

OPG PG401

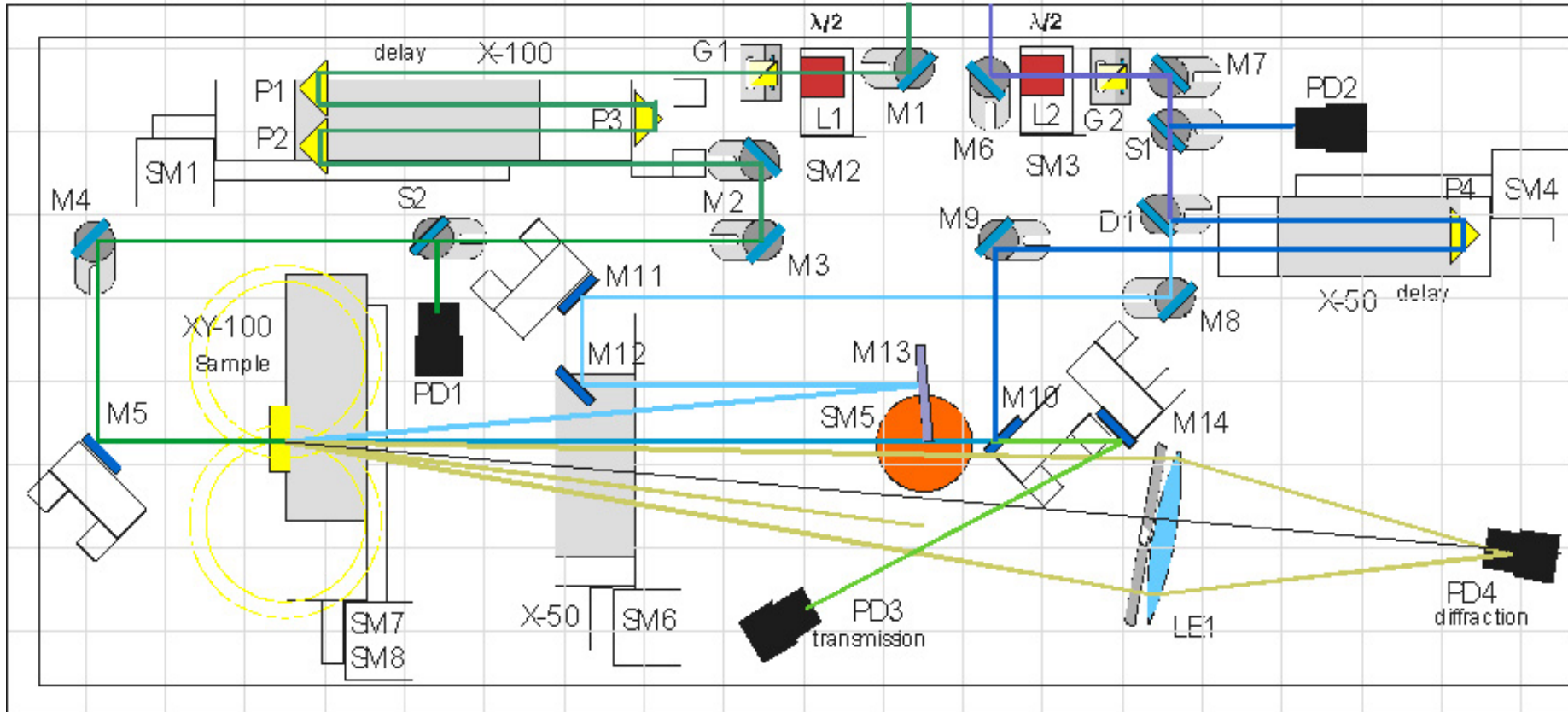


Si detector



**HOLO-1 module as a device\*** Ekspla UAB, Vilnius  
([www.ekspla.com](http://www.ekspla.com))

# HOLO-2 optical scheme: nondegenerate picosecond FWM



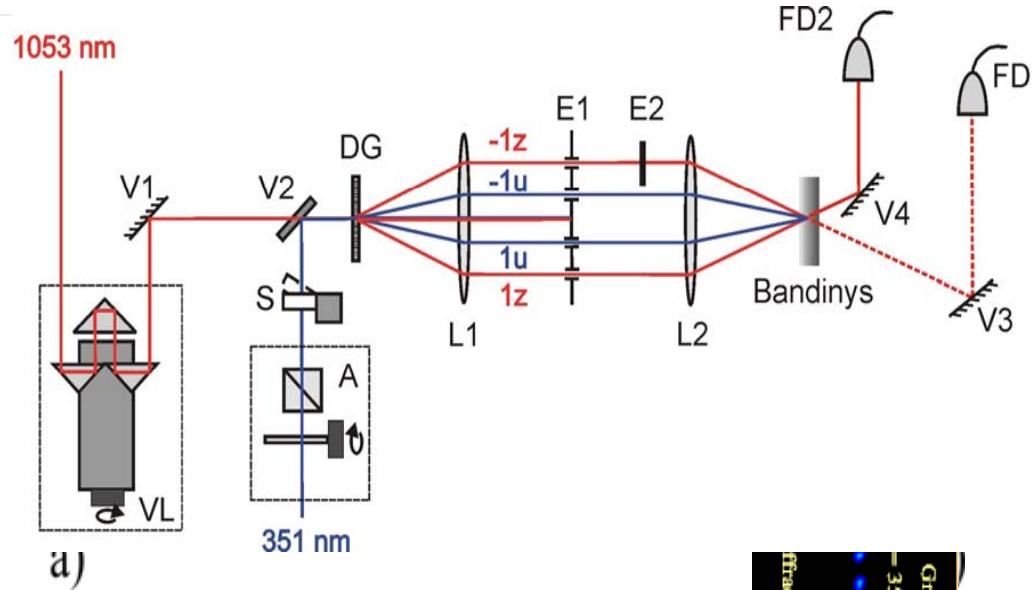
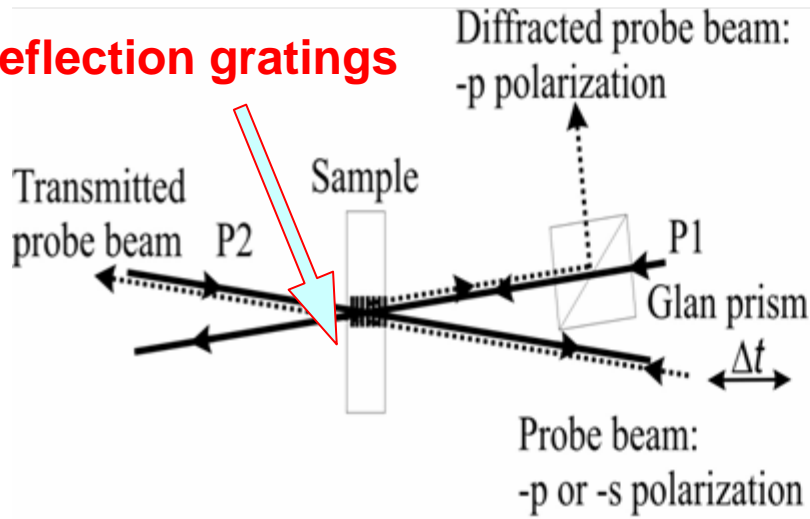
TG recorded by M13 and M10 beams, change of angle (grating period) is achieved by translation/rotation of mirror M13, delay line P4 adjustment for temporal overlap of the beams.

# HOLO-2 based measurement system at Rentsellar Polytechnical Institute (USA)

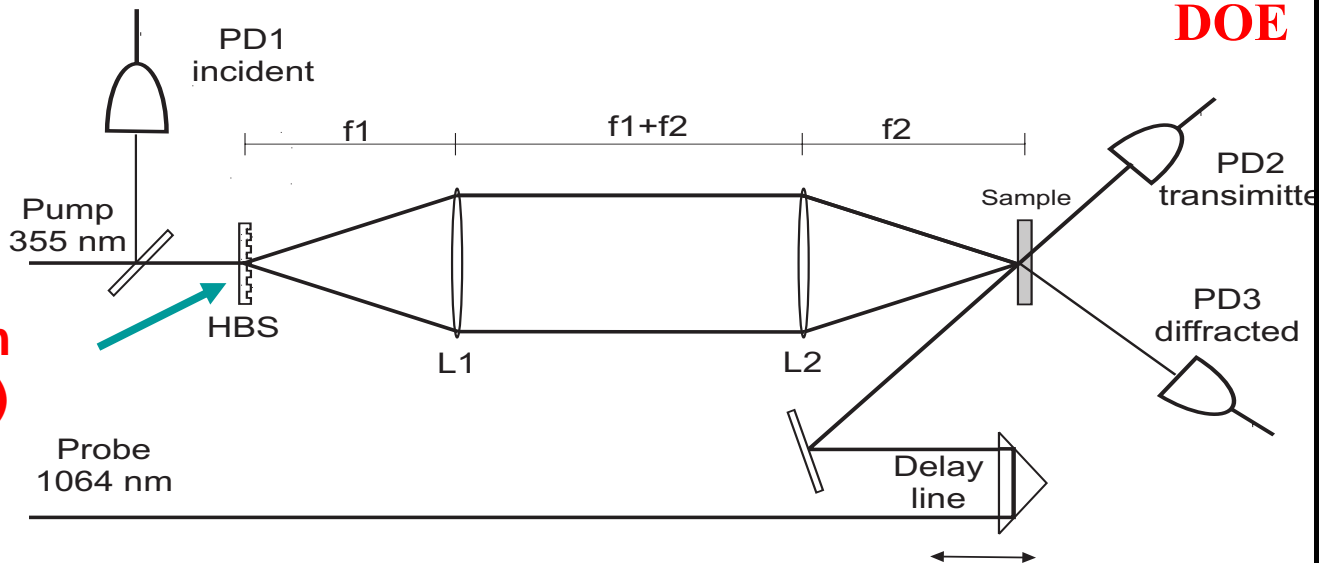


# New optical schemes for dynamic holography

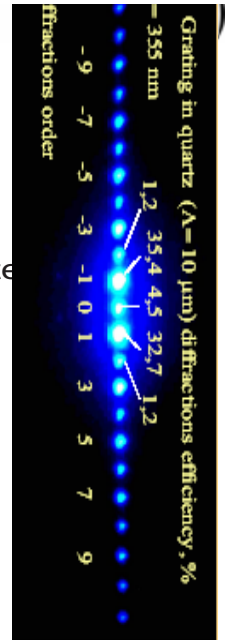
## Reflection gratings



## DOE as beam splitter (HBS)



## DOE



# Summary

**We demonstrated various optical-holographic schemes of picosecond transient gratings which enable to explore free carrier, photorefractive, and absorptive nonlinearities for investigation of**

- interband carrier generation, determination of carrier lifetime,  $D$ ,  $S$**
- carrier generation from deep impurity centers in bulk crystals**
- monitoring of carrier dynamics in presence of SC field**
- direct monitoring of SC field – its buildup and decay**
- determination of photogenerated carrier sign via effective diffusion coefficient**
- determination of deep trap occupation ratio**
- optical discrimination of the deep trap contribution to carrier capture**
- Transient grating schemes, if implemented in devices, can serve as novel tools for determination of electronic parameters of semiconductors**

**Thank you for your attention !**